

24/08/19

14. CORONA

* Corona - It is the phenomenon at which the air around the conductor is ionised.

→ let us consider a single phase 2-wire system. When a low alternating voltage is applying across 2-conductors. Then there is no change in state of the area around the conductor.

→ If the Applied voltage is gradually increased, reaching to its maximum value of 30 kV/cm (or) 21.1 kV/cm (RMS value), the air around the conductor starts conducting with hissing sound, dark violet glow appears around the conductor this effect is known as Corona.

→ The glow is uniform throughout the length of conductor. If the conductors are smooth and polished, If not the glow appears only at rough points.

→ During the corona, the following effects will be obtained.

1. violet glow is observed the conductor.
2. The hissing sound is produced.
3. Corona is accompanied with a power loss.
4. When corona presence the effect of corona

27/08/19

* Electric Stress :-

→ let us consider a single phase system consisting of 2 conductors A & B with radius "r" m. Spacing at "D" m.

→ The charges of conductor A & conductor "B" is Q_A, Q_B .

→ let a point "p" is considered b/w two conductors at a distance of "r" m from the conductor "A" then the electric field intensity is given by:

$$E_x = \frac{1}{4\pi\epsilon} \left[\frac{Q_A}{r^2} + \frac{Q_B}{(D-r)^2} \right]$$
$$= \frac{1}{4\pi\epsilon} \left[\frac{Q}{r^2} - \frac{Q}{(D-r)^2} \right] \left[\because \begin{array}{l} Q_A = Q \\ Q_B = -Q \end{array} \right]$$

The potential difference b/w the two conductors.

$$V = \int_r^{D-r} E_x dx$$

$$= \frac{Q}{4\pi\epsilon} \int_r^{D-r} \left(\frac{1}{r^2} - \frac{1}{(D-r)^2} \right) dx$$

$$= \frac{Q}{4\pi\epsilon} \left[\ln(r) \Big|_r^{D-r} - \ln(D-r) \Big|_r^{D-r} \right]$$

$$= \frac{Q}{4\pi\epsilon} \left[\ln(D-r) - \ln r - \ln(D-r) + \ln(D-r) \right]$$

$$= \frac{Q}{4\pi\epsilon} \left[\ln(D-r) - \ln r - \ln r + \ln(D-r) \right]$$

$$= \frac{Q}{4\pi\epsilon} \left[2\ln(D-r) - 2\ln r \right]$$

$$= \frac{q}{2\pi\epsilon} \ln\left(\frac{D-r}{r}\right)$$

$$= \frac{q}{\pi\epsilon} \ln\left(\frac{D-r}{r}\right)$$

∴ potential difference, $v = \frac{q}{\pi\epsilon} \ln\left(\frac{D}{r}\right)$ [∵ $D \gg r$]

∴ Charge (q) = $\frac{v\pi\epsilon}{\ln(D/r)}$

Electric field intensity is denoted by "g" and it is max on the surface of the conductor.

$$g_{\text{max}} = \frac{q}{2\pi\epsilon} \left[\frac{1}{r} + \frac{1}{D-r} \right]$$

$$g_{\text{max}} = \frac{q}{2\pi\epsilon} \left[\frac{D-r+r}{r(D-r)} \right] \quad [D \gg r]$$

$$g_{\text{max}} = \frac{q}{2\pi\epsilon} \left[\frac{D}{r(D-r)} \right] = \frac{q}{2\pi\epsilon} \left[\frac{D}{r \cdot D} \right]$$

$$g_{\text{max}} = \frac{q}{2\pi\epsilon r}$$

But $Q = \frac{v\pi\epsilon}{\ln(D/r)}$

$$g_{\text{max}} = \frac{v\pi\epsilon}{\ln(D/r) \cdot 2\pi\epsilon r}$$

$$= \frac{v}{2r \ln(D/r)}$$

the potential difference on the surface of a conductor is V_0 .

$$V_0 = \frac{v}{2} \quad ; \quad \therefore g_{\text{max}} = \frac{V_0}{r \ln(D/r)}$$

$$V_0 = g_{\text{max}} \ln(D/r)$$

* Critical Disruptive Voltage :-

→ It is the minimum voltage at which the ionization of air takes place is known as "Critical disruptive Voltage".

→ This voltage is equals to breakdown strength of the air.

∴ Critical disruptive voltage is given by

$$V_0 = g_{max} \ln(P/r)$$

$$\Rightarrow V_{D0} = g_0 \cdot V \ln(P/r)$$

Where,

V_{D0} = The Critical disruptive voltage.

g_0 = The potential gradient

→ The above Eqn is true for polished smooth conductor at ~~at~~ atmospheric pressure of 76 cms of mercury, 25°C of temperature.

→ The Critical disruptive voltage for Rough and dirty conductors is given by $V_{D0} = g_0 m_0 \delta_r \ln(P/r)$

Where,

m_0 = Irregularity factor = 0.8 for bad weather condition
= 1 for fair weather condition.

→ The Critical disruptive voltage for Raugh and dirty Conductors is given by. $V_{D0} = 90m_0 \delta r \ln(D/r)$

where,

m_0 = Irregularity factor = 0.8 for bad weather Condition
 = 1 for fair weather Condition

δ = air density factor = $\frac{3.926}{273+t}$

where,

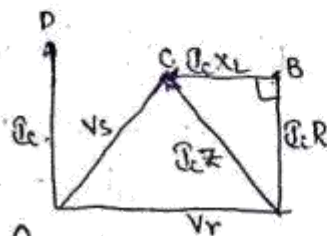
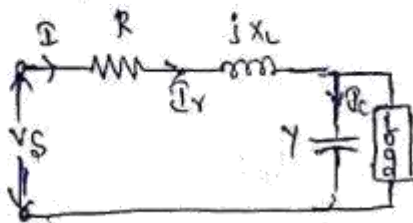
b = Atmospheric pressure

T = Temperature = 1 for fair weather Condition

Ferranti Effect:-

→ It is the phenomenon in which the receiving End voltage is greater than sending End voltage. under no load (or) light load Condition.

→ To determine the Raising voltage, let us Assume the total line Capacitance presented at the End of line.



At No load, Current passing through Capacitor.

$$I_c = Y \cdot V_r = jY V_r$$

from the Circuit diagram,

$$V_s = V_r + \text{drop}$$

$$V_s = V_r + I_r (R + jX_L)$$

At No load,

$$I_c = I_r$$

$$V_s = V_r + I_c (R + jX_L)$$

$$V_s = V_r + jY V_r (R + jX_L)$$

$$V_s = V_r + jRY V_r - Y V_r X_L$$

Here, $R = \text{low}$

$$V_s = V_r - Y V_r X_L \Rightarrow V_r = V_s + Y V_r X_L$$

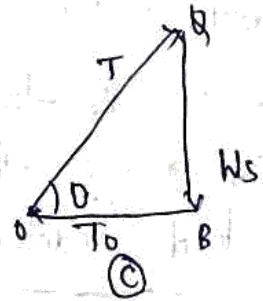
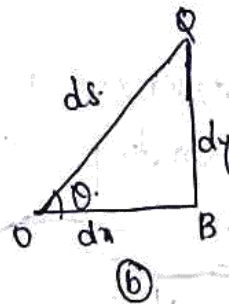
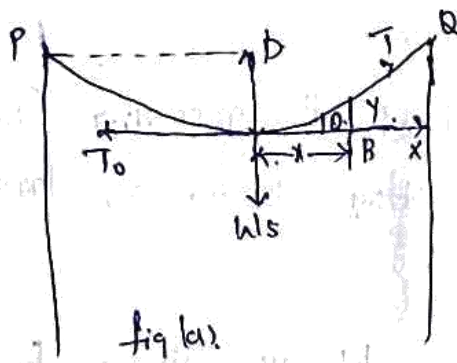
SAG:

The difference in levels b/w the points of support and the lowest point of the Conductor is known as Sag.

→ The following factors will effect the Sag in overhead system.

- (i) Weight of Conductor.
- (ii) length of Span
- (iii) Working tensile stress (or) strength
- (iv) Temperature

Calculation of Sag at equal tower heights:-



Where,

L = length of Conductor.

W = weight of Conductor.

D = maximum Sag in meters

T = Tension at point "A" of Conductor.

T_0 = Tension at point "O" of Conductor.

s = length of Conductor of small section OA

from fig (b) & (c)

$$T \tan \theta = \frac{dy}{dx} \quad ; \quad T_0 \tan \theta = \frac{W_s}{T_0}$$

$$\frac{dy}{ds} = \frac{W_s}{T_0} \quad ; \quad \frac{W_s}{H}$$

$$d\tilde{s} = \sqrt{dx^2 + dy^2} \Rightarrow ds = \sqrt{dx^2 + dy^2}$$

$$ds = dx \sqrt{1 + \left(\frac{dy}{dx}\right)^2} \Rightarrow dx = \frac{ds}{\sqrt{1 + \left(\frac{W_s}{H}\right)^2}}$$

Integrating the above www.jntustupdates.com

$$r = \frac{H}{w} \cdot \sinh\left(\frac{wl_1}{H}\right)$$

$$s = \frac{H}{w} \cdot \sinh\left(\frac{wl_2}{H}\right)$$

Now, $\frac{dy}{dx} = \frac{wl_1}{H}$

$$dy = \frac{wl_1}{H} \cdot \frac{H}{w} \cdot \sinh\left(\frac{wl_1}{H}\right) dx$$

$$dy = \sinh\left(\frac{wl_1}{H}\right) dx$$

Integrating the above Equation,

$$y = \frac{H}{w} \cosh\left(\frac{wl_1}{H}\right) + B \rightarrow (1)$$

At $x=0$ then $y=0$

$$0 = \frac{H}{w} + 0 \rightarrow B = -\frac{H}{w} \rightarrow (2)$$

Substitute Eqn (2) in (1)

$$y = \frac{H}{w} \cosh\left(\frac{wl_1}{H}\right) - \frac{H}{w}$$

$$y = \frac{H}{w} \cosh\left(\frac{wl_1}{H} - 1\right)$$

$$y = \frac{H}{w} \left[\sqrt{1 + \frac{w^2 l_1^2}{2H^2}} + \frac{wl_1^2}{24H^3} + \dots \right]$$

Neglect higher order terms

$$y = \frac{H}{w} \left[\frac{w^2 l_1^2}{2H^2} \right]$$

$$= \frac{wl_1^2}{2H} \quad H = T$$

$$y = \frac{wl_1^2}{2T}$$

At The Sag at Bottom of Conductor

$$y = \frac{w(L/2)^2}{2T} = \frac{wL^2}{8T}$$

\therefore The Sag at Equal tower heights

$$y = \frac{wL^2}{8T}$$

\rightarrow problems formulas

length of Conductor $(L) = \sqrt{(wL_1)^2 + (wL_2)^2}$

* Height of wind = air pressure \times projected area.

\rightarrow projected Area = $\frac{\text{Area}}{\text{height of the conductor}}$

* Weight of Conductor = Specific gravity \times volume of Conductor

* Tension $(T) = \text{max tensile stress} \times \text{Area}$

$$* \text{Sag} = \frac{wL^2}{8T}$$

Resultant height = $\sqrt{(wL_1 + wL_2)^2 + (wL)^2}$

Tension $(T) = \frac{\text{Breaking stress} \times \text{Area}}{\text{Safety factor}}$

Area = $\frac{\pi d^2}{4}$

Weight of Conductor = Specific gravity \times volume

* Weight of ice $(w_i) = 913.5 \times \pi \times (d+t)^2$

* Weight of wind $(w_w) = \rho \times (d+2t)$

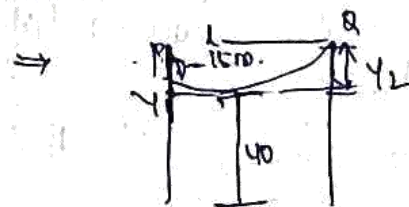
$$* \cos\phi = \frac{w_c + w_i}{w}$$

$$\sin\theta = \frac{w_w}{w}$$

* Deflecting torque = $\frac{wL^3}{8T}$

* Vertical Sag = $y \times \cos\theta$

* horizontal Sag = $y \times \sin\theta$



Resultant weight $(w) = \sqrt{(w_c + w_i)^2 + (w_w)^2}$

* Weight of kind = Air pressure \times projected Area.

* By N.v.t to lowest tower height

$$y_1 = \frac{W_1 \sqrt{}}{2r}$$

difference in height $(h) = y_2 - y_1$.

$$x_1 = y_2 - \frac{T_h}{W_L} ; x_2 = y_2 + \frac{T_h}{W_L}$$

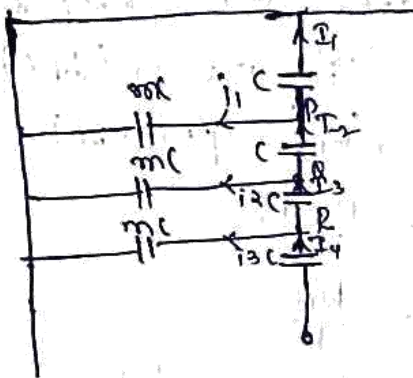
$$\begin{aligned} \text{Now, Tension}(T) &= \frac{\text{ultimate strength} \times \text{Area}}{\text{Safety factor}} \\ &= \frac{8000 \times 2}{4} = 4000 \text{ kg.} \end{aligned}$$

$$x_1 = ? , x_2 = ? , y_1 = ? , y_2 = ?$$

\Rightarrow lowest tower height = $y_1 + \text{ground clearance}$.

\rightarrow highest tower height = $y_2 + \text{ground clearance}$.

String Efficiency:-



\Rightarrow String Efficiency is used to calculate the potential difference along the string with 'n' no.-of units

let 'c' be the mutual Capacitance b/w links

m = Shunt Capacitance b/w the links and Earth

n = Capacitance to ground.

V_1 = Voltage across the 1st link

Apply KCL at node 'P'

$$I_2 = i_1 + I_1$$

$$V_2 W_c = V_1 W_m c + V_1 W_c$$

$$V_2 = V_1 \sqrt{1+m}$$

$$V_2 = V_1 (1+m)$$

Apply KCL at node 'Q'

$$I_3 = i_2 + I_2$$

$$I_3 = V_2 W_m c + V_2 W_c$$

$$V_3 = V_1 (m^2 + 3m + 1)$$

\Rightarrow Apply KCL at node 'R'

$$I_4 = i_3 + I_3$$

$$V_4 W_c = V_3 W_m c + V_3 W_c$$

$$V_4 = V_1 (m^3 + 5m^2 + 6m + 1)$$

14/09/19

* Factors Effecting on Corona:-

⇒ The following factors will effect the Corona loss in the overhead system.

(i) Electrical factors

(ii) Atmospheric factors

(iii) Factors subjected to the Conductor.

(i) Electrical factors:-

(a) Supply frequency:-

from the Peak's formula, we know that

$$P_c = 244 \left[\frac{f+25}{8} \right] \sqrt{V_D} (V_{ph} - V_{do}) \times 10^{-5}$$

Corona loss
KW/Km/ph

$$P_c \propto (f+25)$$

$$P_c \uparrow \propto f \uparrow$$

from the above Eqn it is observed that when supply frequency is increasing the Corona loss also will increase.

(b) Line Voltage:-

$$\uparrow P_c \propto (V_{ph} - V_{do}) \uparrow$$

from the above Eqn, it is observed that-

The operating voltage increasing the Corona loss also increase.

(c) load loss line Current :-

→ As the load current increasing temperature of the conductor is also increases it prevent deep falling of snow and dust on the surface of the conductor, This increases disruptive voltage and decreases Corona loss.

$$\downarrow P_c \propto (V_{ph} - V_{do})^2 \downarrow$$

(ii) Atmospheric factor :-

(i) Air Density factor :-

We know that critical disruptive voltage is given by,

$$V_{do} = 90 m_0 \delta \ln(D/r)$$

$$\uparrow V_{do} \propto \delta \uparrow$$

$$\downarrow P_c \propto (V_{ph} - V_{do})^2 \downarrow$$

⇒ It is observed that as the air density factor will increase the critical disruptive voltage also increases.

Due to this Corona loss will Reduce loss decrease

(b) Rain, Dust & Smog:-

⇒ The Critical disruptive voltage decreases due to dust particles deposited on the conductor during the bad weather condition which causes in increasing the Corona loss.

$$\uparrow P_c \propto (V_{ph} - V_{do} \downarrow) \uparrow$$

(iii) Factors Relating to the Conductor:-

(i) Conductor diameter

⇒ We know that,

$$P_c \propto \sqrt{r/D}$$

From the Critical disruptive voltage,

$$V_{do} = g_0 m_0 \delta_x \ln(D/r)$$

$$\uparrow V_{do} \propto r \uparrow$$

$$\downarrow P_c \propto (V_{ph} - V_{do} \uparrow) \downarrow$$

From the above Relations, It is observed that as the radius of conductor \uparrow the Critical disruptive voltage also increases. Which causes to reduce the Corona loss.

∴ If the diameter of Conductor is high, the Corona loss is low.

(iii) Spacing b/w the Conductors:-

⇒ From the peaks formula, we know that-

$$P_c \propto \sqrt{V_D}$$

$$\uparrow V_D \propto \ln\left(\frac{D}{r}\right)$$

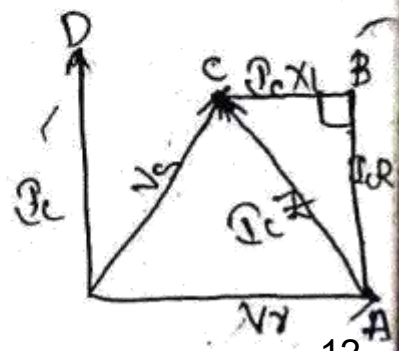
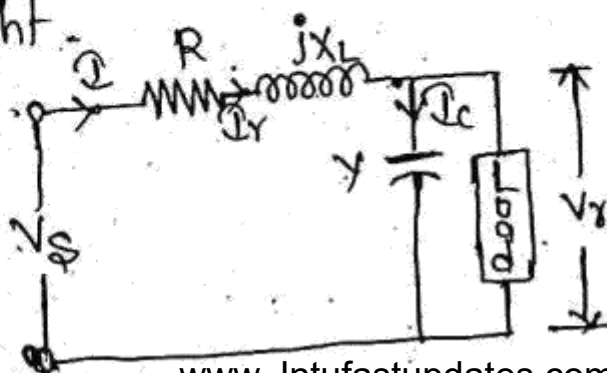
$$\downarrow P_c \propto (V_{ph} - V_D)^2 \downarrow$$

⇒ From the above Relation, It is observed that as Spacing b/w the Conductors is increasing the Corona loss will reduce.

Feranti Effect:-

⇒ It is the phenomenon in which the receiving end voltage is greater than sending end voltage under no load or light load condition.

⇒ To determine the raising voltage, let us assume the total line capacitance presented at the end of light



⇒ At No load, Current passing through Capacitor .

$$I_c = Y \cdot V_r = jYV_r$$

from the Circuit diagram,

$$V_s = V_r + \text{drop}$$

$$V_s = V_r + I_r (R + jX_L)$$

At No load,

$$I_c = I_r.$$

$$V_s = V_r + I_c (R + jX_L)$$

$$V_s = V_r + jYV_r (R + jX_L)$$

$$V_s = V_r + jRYV_r - Y \cdot V_r X_L$$

Here, $R = 10 \Omega$.

$$V_s = V_r - Y V_r X_L$$

$$V_r = \frac{V_s}{1 - Y X_L}$$