

HARDENED CONCRETE

The compressive strength of the concrete is one of the most important and useful property of concrete in most structural applications. Concrete is employed primarily to resist compressive stress.

In some conditions the tension, shear stresses are plays an important role in structural construction.

In these cases the compressive strength of concrete is take into consider to design (or) to satisfy the other stresses developed in structural members.

Factors affecting the strength of concrete (Hardened concrete)

1. Water - cement ratio and degree of compaction Ratio
2. Ratio of cement to aggregate (both fine & coarse Agg)
3. Grading, surface texture, shape, strength and stiffness of the Agg
4. Max size of Agg used

These are the important factors which are influencing the strength of concrete.

Water cement Ratio & Degree of compaction :-

The strength of concrete primarily depends on the strength of cement paste.

It has been shown that the strength of cement paste depends upon the dilution of the cement paste (or) in the other words the strength of the cement paste increases with the increase of cement content & also it decreases with increasing the air voids & water content.

In 1918 Duff Abrams proposed a statement that

assuming fully compacted concrete, δ_1

[The following text is extremely faint and illegible due to low contrast and scan quality. It appears to be a series of handwritten notes or calculations.]

Gel Space Ratio : $w/c \uparrow G/S \downarrow p \uparrow$ strength \downarrow

The concrete is a Brittle material so the porosity is primarily influences the strength.

The Compressive strength is severely decreases due to the Increasing of its porosity

The porosity of the concrete which governs the strength of the concrete is affected by the Gel space ratio in concrete mix

The G/S ratio is the ratio of the solid products of Hydration to the space available for these Hydration products

A Higher Gel space ratio reduces the porosity and therefore strength of the concrete is increases

The Gel Space ratio governs the porosity of the concrete after its strength effected by water cement Ratio.

The Higher Water cement ratio gives less G/S ratio due to less G/S ratio the porosity of concrete is increases there by strength the decreases of strength of concrete is occurs $w/c \uparrow G/S \downarrow p \uparrow str \downarrow$

"THE POWERS" Experiment shows that the strength of the concrete Bears a Specific relationship with the G/S

He proposed a formula to calculate the theoretical strength of concrete

$$S = 240 (x)^3$$

where $x = G/S$ ratio

The value 240 represents the Inherent strength of the Gel

For the type of cement is specifically used

To calculate the Gils ratio in fully hydrated cement is

$$X_f = \frac{0.657C}{0.319C + W_0}$$

C = weight of cement (in gms)

W_0 = volume of Mixing Water (in ml)

To calculate the Gils ratio for partially hydrated cement

$$X_p = \frac{0.657C \times \alpha}{0.319C \times \alpha + W_0}$$

α = % of hydration

Problem :

- calculate the Gils ratio and theoretical strength of sample of concrete made with 500 gms of cement and 0.5 w/c ratio - for Fully hydrated & at 75% of hydration

A) for Fully hydrated cement :

Given C = 500 gms

$$\alpha = 75\% = \frac{75}{100} = 0.75$$

$$w/c = 0.5$$

$$\begin{aligned} 1000 \text{ ml} &\rightarrow 910 \text{ gms} \\ &\rightarrow 250 \text{ gms} \\ 274.72 \end{aligned}$$

$$\frac{W}{500} = 0.5$$

W = 250 gms of water

$$W_0 = 250 \text{ } 274.72 \text{ ml}$$

$$f = \frac{m}{V}$$

$$1440 = \frac{500}{V}$$

$$S = \frac{240(x)^3}{\text{mm}^2}$$

$$= \frac{240(0.75)^3}{\text{mm}^2}$$

$$Th = \frac{W}{101.25} \text{ N/mm}^2$$

$$X_f = \frac{0.657 \times 500}{0.319 \times 500 + 274.72}$$

$$X_f = 0.75$$

$$X_p = \frac{0.657 \times 500 \times 0.75}{0.319 \times 500 \times 0.75 + 274.72}$$

$$X_p = 0.62$$

$$Th S = 240(x)^3 = 240 \times (0.62)^3 = 59.19 \text{ N/mm}^2$$

1. Calculate the G/S ratio and theoretical strength of a sample of concrete made with 500 gms of cement and having with the W/C ratio 0.5 on fully hydration & 60% of hydration?

Al-

Given, Weight of cement used for sample $c = 500 \text{ gms}$

MID
PROBLEM

2M

W/C ratio = 0.5

The weight of water used $w = 0.5 \times c$

$$= 0.5 \times 500$$

$$= 250 \text{ gm}$$

for water
1 lit \rightarrow 1 kg
1 gm \rightarrow 1 ml

Vol of water used $w_0 = 250 \text{ ml}$

For fully hydrated concrete

$$\text{G/S ratio } x_f = \frac{0.657 \times c}{0.319 \times c + w_0}$$

$$x_f = 0.8021 \sim 0.8$$

theoretical strength for fully hydrated cement

$$s = 240(x_f)^3$$

$$= 240(0.8)^3$$

$$s \approx 123 \text{ N/mm}^2$$

For 60% hydration

$$x_p = \frac{0.657 \times c \times \alpha}{0.319 \times c \times \alpha + w_0}$$

$$= \frac{0.657 \times 500 \times 0.6}{0.319 \times 500 \times 0.6 + 250}$$

$$= \frac{0.657 \times 500 \times 0.6}{0.319 \times 500 \times 0.6 + 250}$$

$$\therefore x_p = 0.57$$

theoretical strength for partial hydrated cement

$$s = 240 \times (0.57)^3$$

$$s = 44.44 \text{ N/mm}^2$$

Calculate the w/c ratio & theoretical strength of a sample of concrete 680 gms of cement and having w/c ratio 0.48 on fully hydrated & at 72% of Hydration

G/S ratio of fully Hydrated cement

$$x_p = \frac{0.657 \times C}{0.319 \times C + W_0}$$

The weight of cement used $C = 680$ gms

Volume of water used in mix $W_0 = ?$

$$\frac{W}{C} = 0.48 \Rightarrow W = 0.48 \times 680 \\ = 326.4 \text{ gms}$$

Vol of water $W_0 = 326.4$ ml

For fully Hydrate

$$x_p = \frac{0.657 \times 680}{0.319 \times 680 + 326.4}$$

$$x_p = 0.822$$

Theoretical strength for fully Hydrated cement

$$S = 240(x_p)^3$$

$$S = 240(0.8)^3 \Rightarrow S \approx 123 \text{ N/mm}^2$$

$$S = 122.88 \text{ N/mm}^2$$

For 72% Hydration

$$x_p = \frac{0.657 \times C \times \alpha}{0.319 \times C \times \alpha + W_0}$$

$$= \frac{0.657 \times 680 \times 0.72}{0.319 \times 680 \times 0.72 + 326.4}$$

$$x_p = 0.6$$

Theoretical strength for partially Hydrated cement

$$S = 240(x_p)^3$$

$$S = 51.8 \text{ N/mm}^2$$

$$S \approx 52 \text{ N/mm}^2$$

Maturity Concept of Concrete :

While dealing with curing & strength development we have so far considered only the time aspect but the strength development of the concrete is not only dependent on time it also depends on the temperature during the early period of hydration that influences the rate of gain of strength of the concrete.

The strength development of the concrete can be explained as a function of summation of the product of time & temperature.

The function of summation is called maturity of the concrete.

$$\therefore \text{Maturity } M = \sum (\text{Time} \times \text{Temperature})$$

The temperature is established by no. of calculations from an origin laying b/w -12°C to 10°C .

By experimentally it is found that the hydration of concrete continues to take place upto about -11°C .

-11°C is taken as a datum line for computing the maturity of concrete.

The maturity is measured in terms of $^{\circ}\text{C hrs}$ ($^{\circ}\text{C} \times \text{hrs}$).

Note :

A sample of concrete is cured at 18°C in 28 days. The full maturity of the concrete is

$$M = \sum (\text{time} \times \text{Temperature})$$

$$\text{Datum line Temp} = -11^{\circ}\text{C}$$

$$\text{Given Temp} = 18^{\circ}\text{C}$$

$$M = 28 \times 24 (18 - (-11)) \\ = 19,488^{\circ}\text{C hrs}$$

Full maturity of concrete mix for 28 days at 18°C curing temperature is 19,488 °C hrs

For more calculations and Research oriented we are considered the full maturity of the concrete mix is 19,800 °C hrs

The Maturity concept is useful for estimating the strength of concrete at any other maturity value as a percentage of strength of the concrete at no maturity value

The % of strength of identical concrete at any other maturity value = $A + B \log_{10} \left(\frac{\text{Maturity}}{10^3} \right)$ A & B { Powlmans coefficients

1. The strength of a sample for fully matured concrete is 40 MPa. Find the strength of identical concrete at the age of 7 days when cured at an avg temperature during the day time is 20°C and night time 10°C.

Ans

Given data

Strength after 28 days at 18°C and Maturity of concrete is 19800°C h	Coefficients	
	A	B
< 17.5	10	68
17.5 - 35.0	21	61
35.0 - 52.5	32	54
52.5 - 70.0	42	46.5

S = 40 MPa → for 28 days

Age = 7 days

Night temperature = 10°C

Day temperature = 20°C

$$\text{Maturity } M = \sum (\text{Time} * \text{Temperature})$$

$$= \sum ((7 \times 12 \times (20 - (-11))) + 7 \times 12 \times (10 - (-11)))$$

$$= 4886 \text{ } ^\circ\text{C hrs}$$

The concrete is falls under zone III

$$\therefore A = 32, B = 54$$

$$\text{Maturity level} = A + B \log_{10} \left(\frac{\text{Maturity}}{10^3} \right)$$

$$= 32 + 54 \log_{10} \left(\frac{4886}{10^3} \right)$$

$$= 32 + 35.46 = 67.46$$

$$= 67.46 \times 1 = 67.46$$

The strength of Identical concrete for 7 days

$$= \frac{67.46}{100} \times 40$$

$$S = 26.6 \text{ mpa}$$

2. A Laboratory experiment is conducted at pune on a particular mix showed a strength of 32.5 mpa. For fully matured concrete. Find whether a form work can be removed for an identical concrete placed at srinagar at age of 15 days when an avg temperature of 5°C. If the concrete is likely to be subjected to a stripping stress of 25 mpa

Ans-

$$\text{For fully matured strength} = 32.5 \text{ mpa}$$

$$\text{Age} = 15 \text{ days}$$

$$\text{Temp} = 5^\circ\text{C}$$

$$\text{Maturity } M = \sum (\text{Time} * \text{Temperature})$$

$$= 15 \times 24 \times (5 - (-11))$$

$$M = 5760 \text{ } ^\circ\text{C hrs}$$

The concrete is falls under zone II

$$A = 21, B = 61$$

$$\text{maturity level} = A + B \log_{10} \left(\frac{\text{maturity}}{10^3} \right)$$

$$= 21 + 61 \cdot \log_{10} \left(\frac{5760}{10^3} \right)$$

$$= 67.38$$

$$= 128.38 \cdot 1.$$

The strength of Identical concrete for 15 days

$$= \frac{67.38}{100} \times 32.5$$

$$S = 21.89 \text{ mpa}$$

$$\text{stripping stress} = 25 \text{ mpa}$$

↑
from the given data

The strength of the concrete achieve in 15 days of curing is less than this stripping stress $21.90 < 25$

So we couldn't remove the form work in 15 days.

So how many days is req. to get (80) to gain fully maturity strength at given curing temperature is

$$\frac{M}{24(t - (-11))} = \text{No. of days} \quad t \rightarrow \text{curing Temp of Identical concrete}$$

$$\text{i.e.} \quad \frac{19,800}{24(5 - (-11))} = 51.5$$

$$\sim 52 \text{ days}$$

At 5°C Temp the Identical concrete must be cured in 52 days to achieve full maturity strength

Relationship between Flexural strength & Compressive strength:

We all know the behaviour of the concrete under compression and tensile stresses i.e., the concrete member is strong in compression and it is weak in tension so in all structural construction the compressive strength of the concrete plays an important role and we are ignoring the tensile stress. But in some cases like pavement

Slabs in road construction works.

The flexural strength of the concrete is taking into consideration due to the changing of vehicular moving load.

So we need to design the pavement slabs in both compression and flexural strength.

CRRI develops some experimental formulas to calculate (σ) to estimate the tensile and compressive strengths.

$$1. Y = 15.3X - 9$$

For 20 mm maximum size of Agg

$$2. Y = 14.1X - 10.4$$

For 20 mm maximum size of Natural gravel

$$3. Y = 9.9X - 0.55$$

For 40 mm maximum size of crushed stone Agg

$$4. Y = 9.8X - 2.52$$

For 40 mm maximum size of Natural gravel

Where

$X \rightarrow$ Flexural strength

$Y \rightarrow$ Compressive strength

Note :

The type of the Agg influences the relationship between compressive and flexural strengths.

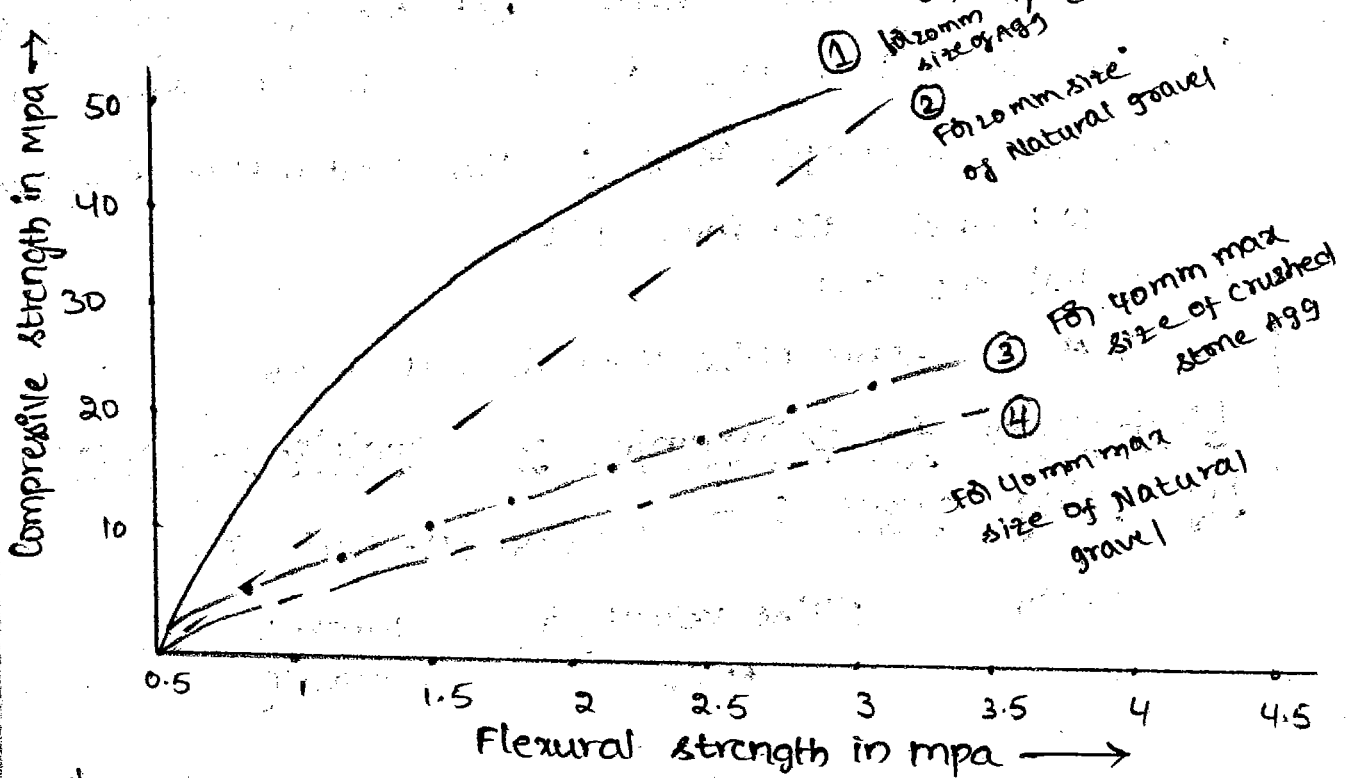
The crushed stone Agg gives relatively higher flexural strength than the compressive strength.

The pozzolmic materials used in concrete mix increase the tensile strength of the concrete.

As a general relationship b/w Flexural and Compressive strength is established CRR I is

$$Y = 11X - 3.4$$

In all these formulas the Compressive and Flexural strengths are in terms of N/mm^2 (or) MPa



The Flexural strength of concrete is 8 to 11% of the Compressive strength of concrete for higher ranges of the concrete strength which means strength of concrete is greater than 25 MPa

9 to 12.8% for lower ranges of the concrete strength which means the strength of concrete < 25 MPa

From the code provision the Flexural strength of the concrete is $0.7 \sqrt{F.C.K}$

F.C.K → characteristic Compressive strength of concrete

According to (IS 456-2000)

Tests:
 { central load method (or)
 Two point load method
 by U.P.M

Non Destructive Test :

By using these N.D. Tests we are estimating the surface hardness, tensile strength & quality of the concrete approximately

While using these N.D.T Test we are following some Experimental Readings & charts to find the req result

They are 3 major Tests for Non Destructive Analysis

1. Rebound Hammer Test
2. Pull out Test
3. Ultra sonic pulse velocity Test (Upv)

Limitations for determining the quality of concrete by using U.P.V :-

IS : 13-311 - part - I

S.No	Pulse velocity in km/s	concrete quality
1	> 4.5	Excellent
2	3.5 to 4.5	Good
3	3.0 to 3.5	Medium
4	< 3.0	Doubtful

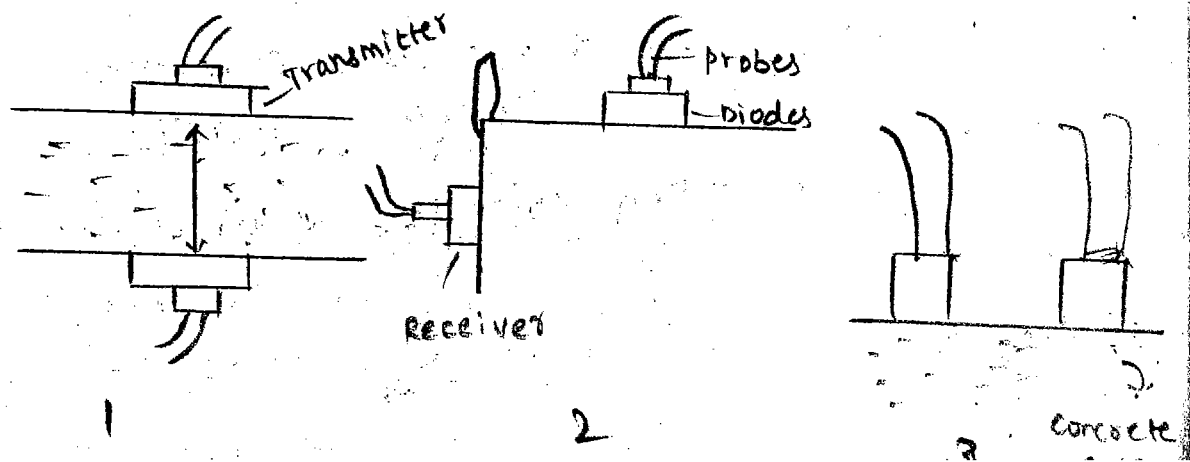
Methods of Transmission of pulse wave in concrete member

They are 3 methods of Transmission

Direct Transmission

Indirect " "

Surface " "



These are the 3 ways of measuring pulse velocity through concrete

$$\therefore \text{The pulse velocity } v = \frac{d}{t}$$

Where $d \rightarrow$ path length of the pulse wave

$t \rightarrow$ Time taken b/w the of pulse wave
b/w Two Diodes

Factors Effecting the measurement of pulse velocity : —

The measurement of pulse velocity through concrete is effected by following parameters

1. Smoothness of the contact surface under the test
2. Influence of path length
3. Temperature of the concrete
4. Moisture condition of the concrete
5. presence of Reinforcement steel — 1.2 to 1.5 times to pulse velocity \nearrow Plane concrete

Note :

The National Committee for cement & Building materials proposed the quality of the concrete w.r.t pulse velocity

S.No	pulse velocity km/s	Quality of concrete
1	> 3.5	Excellent
2	$3.5 - 3.0$	Good
3	$3.0 - 2.5$	Medium
4	< 2.5	poor

\nwarrow According to IS standards IS: 13-311 - part - I

S.No

HARDENED CONCRETE

The compressive strength of concrete is one of the most important and useful property of concrete. In most structural applications concrete is employed primarily to resist compressive stress. In some conditions the tension, shear stresses are placed an important role in structural construction.

In these cases the compressive strength of concrete is taken into consider to design or to satisfy the other stresses developed in structural members.

What are the factor effecting strength of concrete (Harden concrete)?

Water cement ratio and Degree of compaction.
Ratio of cement to Aggregates (both fine & coarse Agg).

Grading, surface texture, shape, strength and stiffness of Agg.

Max. size of Aggregate used.

These are important factors which influencing the strength of concrete.

Water cement Ratio:

The strength of concrete primarily depends on the strength of cement paste.

It has been shown that the strength of cement paste depends upon the dilution of the ~~paste~~ water.

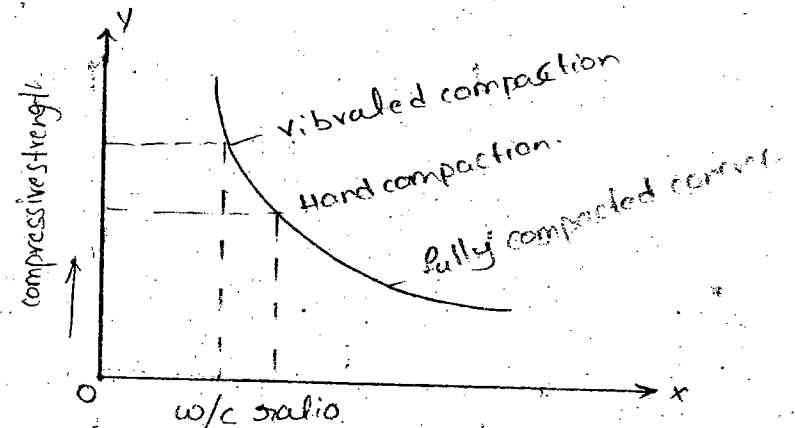
In other words the strength of the concrete increases with the increasing of cement content and also it is decreases with increasing the air voids and water content.

In 1918 Duff Abrams proposed a statement that assuming fully compacted concrete or cement of a given age in normal temperature. The strength of concrete mix is inversely proportional to water cement ratio.

He proposed a formula

$$s = \frac{A}{B^x}$$

where s is strength of concrete.
 x = water cement ratio by volume for 28 days.
The constants A & B are 96 N/mm^2 & 2 N/mm^2



Note The water cement ratio is typical from 0.35 - 0.45

The low water cement ratio gives strong concrete.

The Freest proposed a formula to calculate the strength of concrete in early of 1923.

where s is strength of concrete mix

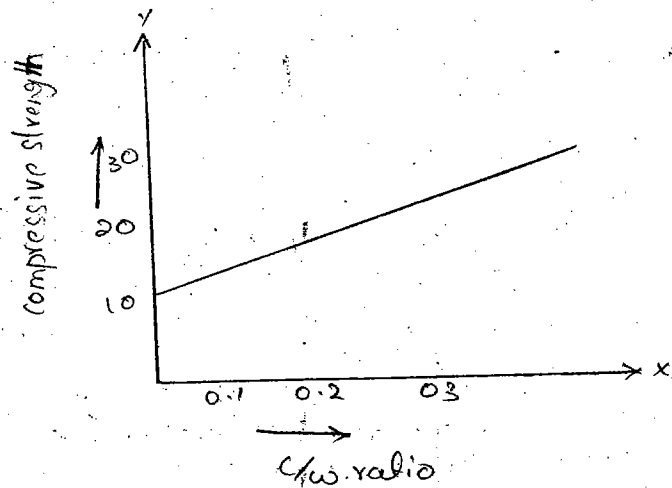
$$s = k \left(\frac{c}{c + \eta a} \right)^2$$

c, e, a are the ...
and air.

The above expression indicates the involvement of air voids in concrete mix.

So, the degree of compaction plays an important role in compressive strength (or) strength of concrete.

* By the increasing of water cement ratio in self compacting concrete we are achieving less strength. The water cement ratio is decreases with vibrating compaction. We are achieving high strength concrete.



The concrete is a brittle material, so, the porosity is primarily influences the strength.

The compressive strength is severely decreases due to the increase of its porosity.

The porosity of concrete which governs the strength of concrete is affected by the Gel-space ratio in concrete mix.

The G/s ratio is the ratio of the solid products of hydration to the space available for these hydration production.

A higher G/s ratio reduces the porosity and there for the strength of concrete increases.

The Gel space ratio governs the porosity of the concrete after its strength, affected by water cement ratio.

The higher water cement ratio gives less Gel-space ratio due to less G/s ratio the porosity of concrete is increases. there by the decreasing of strength of concrete is occurs.

The porous expt shows that the strength of concrete bears a specific relationship with the Gel-space ratio.

He proposed a formula to calculate the theoretical strength of concrete

$$S = 240(x)^3$$

where x = Gel/space ratio

The value 240 represents the inherent strength of Gel in MPa (or) N/mm^2 . for the type of cement is specifically used.

To calculate the Gel/space ratio for fully hydrated cement.

$$x_f = \frac{0.657 \times c}{0.319c + w_0}$$

where c = wt. of cement in gms

w_0 = volume of mixing water in mm.

To calculate the Gel/space ratio for partially hydrated cement.

$$x_p = \frac{0.657 \times \alpha \times c}{0.319 \times \alpha \times c + w_0}$$

α = % of hydration.

- 1) calculate Gel/space ratio and the theoretical strength of sample of concrete made with 500gm of cement and 0.5 water/cement ratio. For fully hydrated & 75% of hydration.

For Fully Hydrated cement.

Given
wt of cement (c) = 500gms

$$\alpha = 75\% = \frac{75}{100} = 0.75$$

$$w/c = 0.5$$

$$\frac{w}{500} = 0.5$$

$$w = 0.5 \times 500$$

$$w = 250 \text{ gms}$$

$$\text{Volume of water} = 250 \text{ ml}$$

$$\frac{1000 \text{ ml}}{x} = 410 \text{ gm}$$

$$x = 250 \text{ gm}$$

$$z = 274.72 \text{ ml}$$

$$x_f = \frac{0.657 \times 500}{0.319 \times 500 + 274.72}$$

$$x_f = 0.7565$$

Theoretical strength for fully hydrated cement

$$S = 240 (x)^3$$

$$= 240 (0.75)^3$$

$$= 101.25 \text{ N/mm}^2$$

For partially hydrated cement.

$$x_p = \frac{0.657 \times 500 \times 0.75}{0.319 \times 500 \times 0.75 + 274.72}$$

$$x_p = 0.62$$

Theoretical strength for partially hydrated cement

$$S = 240 x^3$$

$$= 240 (0.62)^3$$

$$= 57.19 \text{ N/mm}^2$$

calculate G/s ratio and theoretical strength of sample of concrete made with 680 gm of cement & 0.48 w/c ratio on fully hydrated and at 72% of hydration.

Sol Gel/space ratio of fully hydrated cement

$$x_f = \frac{0.657 \times c}{0.319c + w_0}$$

The weight of cement used $c = 680 \text{ gms}$.

Volume of water used in mix $w_0 = ?$

Given data,

$$w/c = 0.48$$

$$w = 0.48 \times c$$

$$= 0.48 \times 680$$

$$= 326.4 \text{ gms}$$

Volume of water used in mix

$$= 326.4 \text{ ml}$$

$$x_p = \frac{0.657 \times 680}{0.319 \times 680 + 326.4}$$

$$= 0.822$$

$$x_p \approx 0.8$$

The theoretical strength for fully hydrated cement

$$S = 240 (x_p)^3$$

$$= 240 (0.8)^3$$

$$= 123 \text{ N/mm}^2$$

For partially hydrated cement

$$\alpha = 27\% = 0.27$$

$$x_p = \frac{0.657 \times 680 \times 0.27}{0.319 \times 680 \times 0.27 + 326.4}$$

$$x_p = 0.66$$

$$x_p \approx 0.7$$

Theoretical strength

$$S_p = 240 (x_p)^3$$

$$= 240 (0.7)^3$$

$$S_p = 82.32 \text{ N/mm}^2$$

While dealing with curing and strength development we have so far consider only the time aspect but the strength development of the concrete is not only depend on time. It is also dependent on the temperature during the early period of hydration that influences the rate of gain of strength of the concrete.

The strength development of concrete can be explained a function of summation of the product of time and temperature. The function of summation is called maturity of concrete.

$$\therefore \text{Maturity} = \text{Summation of (time multiplied with temp)}$$

$$= \sum (\text{time} \times \text{temperature})$$

The temperature is established by no. of calculations from an origin lying between -12° to $+10^\circ$.

By experimentally it is found that the hydration of concrete continuous to takes place upto above -11° .
 $\therefore -11^\circ$ is taken as a datum line for computing the maturity of concrete.

The maturity is measured in terms of $^\circ\text{C hrs}$ (or) $^\circ\text{C days}$.

Note

A sample of concrete is cured at 18°C in 28 days.

The full maturity of concrete is

$$M = \sum (\text{time} \times \text{temperature})$$

$$\text{datum line temperature} = -11^\circ \quad t = 18^\circ$$

$$M = (28 \times 24 \times (18 - (-11))) = 19488 \text{ }^\circ\text{C hrs}$$

\therefore The full maturity of concrete mix for 28 days at 18°C curing temperature is 19488 $^\circ\text{C hrs}$.

1. strength of identical concrete for maturity of 5260 °C.h

$$= A + B \log_{10} \left(\frac{\text{maturity for 15 days}}{10.3} \right)$$

$$= 21 + 61 \log_{10} \left(\frac{5260}{1000} \right)$$

$$= 67.38\%$$

The strength of identical concrete for 15 days is

$$= 32.5 * \frac{67.38}{100}$$

$$= 21.9 \text{ MPa}$$

From given data

$$\text{stripping stress} = 25 \text{ MPa}$$

The strength of concrete achieved in 15 days of curing is less than the stripping stress

$$21.90 < 25$$

so, we couldn't remove the form work in 15 days.

so, How many days is required to get full maturity strength at given temperature is

No. of days for gaining full maturity strength $\frac{M}{24(f-t)}$

$$= \frac{19800}{24(5-(-1))}$$

$$= 51.56$$

$$= 52 \text{ days}$$

At 5°C temperature the identical concrete must be cured in 52 days to achieve full maturity strength.

strength:-

we are all know the behaviour of concrete under compression and tensile stresses. i.e., the concrete member is strong in compression and it is weak in tension. so, in all structural construction the compressive strength of concrete plays an important role & we are ignoring the tensile stress. But in some cases like pavement slabs in road construction works.

The flexural strength of concrete is taking into consider due to the changing of vehicular moving load so, we need to design the pavement slabs in both compression and flexural strength.

The CRRI develops some experimental formulas to calculate (or) to estimate the tensile and compressive strengths

$$1. Y = 15.3X - 9$$

For 20mm maximum size of a aggregate (crushed stone)

$$2. Y = 14.1X - 10.4$$

For 20mm maximum size of natural gravel

$$3. Y = 9.9X - 0.55$$

For 40mm maximum size of crushed stone Agg

$$4. Y = 9.8X - 2.52$$

For 40mm maximum size of natural gravel

where x = flexural strength

y = compressive strength.

Note:-

1. The type of aggregate influences the relationship between compressive and flexural strengths
2. The crushed stone agg give relatively higher flexural strength than the compressive strength
3. The pozzolonic materials used in concrete mix increases the tensile strength of concrete.

For more calculations & research oriented we are considered the full maturity of concrete mix is $19,800^{\circ}\text{Chrs}$

The maturity concept is useful for estimating the strength of concrete at any other maturity value, as a percentage of strength of concrete at known maturity value.

The percentage of strength of identical concrete at any other maturity value is equal to

$$= A+B \log_{10} \left(\frac{\text{Maturity}}{10^3} \right)$$

where A and B are Powlman's coefficients

- 1) The strength of a sample for fully matured concrete is 40MPa . Find the strength of identical concrete at the age of 7 days. When cured at an average temperature during the day time is 20°C and night time is 10°C

Given data.

Strength after 28 days at 18°C & maturity of level is 19800°Chrs	Coefficients	
	A	B
< 12.5	10	68
12.5 - 17.5	21	61
17.5 - 22.5	32	54
22.5 - 27.5	42	46.5

Given Datum temperature = -11°C
 strength of sample concrete at fully matured = 40MPa

The concrete is falls under zone-III

$\therefore A=32, B=54$

no. of days for curing time $t = 7\text{days}$

temperature day time = 20°C
 night time = 10°C

Maturity of concrete

$$M = \sum (\text{time} \times \text{temperature})$$

$$= (7 \times 24 \times (20 - (-11))) + (7 \times 12 \times (10 - (-11)))$$

$$= 4368^{\circ}\text{Chrs}$$

1. strength of identical concrete for maturity of

4368°Chrs is

$$= A+B \log_{10} \left(\frac{\text{Maturity for 7 days}}{10^3} \right)$$

$$= 32 + 54 \log_{10} \left(\frac{4368}{1000} \right)$$

$$= 66.5\%$$

The strength of identical concrete for 7 days is

$$= 40 \times \frac{66.5}{100} = 26.6\text{MPa}$$

- 2) A laboratory experiment is conducted at pune on a particular mix showed a strength of 32.5MPa for fully matured concrete. Find whether a formwork can be removed for an identical concrete placed at surat at the age of 15 days when an average temperature of 5°C if the concrete is likely to be subjected to stripping stress of 25MPa

Given

strength of concrete of fully matured = 32.5MPa

The concrete is falls under zone-II

$\therefore A=21, B=61$

No. of days for curing = 15 days

temperature = 5°C

Maturity of concrete for 15 days

$$M = \sum (\text{time} \times \text{temperature})$$

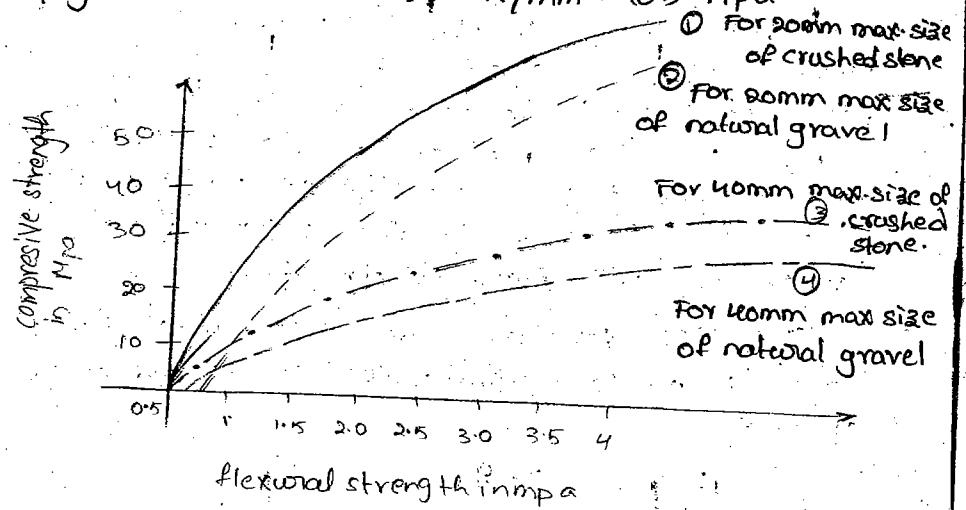
$$= (15 \times 24 \times (5 - (-11)))$$

$$= 5220^{\circ}\text{Chrs}$$

As a general relationship b/w flexural and compressive strength is established by CRR I is

$$Y = 11X - 3.4$$

In all these formulas the f_c compressive and flexural strength are in terms of N/mm^2 (or) MPa



The flexural strength of concrete is 8-11% of the compressive strength of concrete for higher ranges of concrete strength which means the strength of concrete is greater than 25 MPa

9-12.8% for lower ranges of concrete strength which means the strength of concrete is less than 25 MPa

From the codal provision the flexural strength of concrete is $0.7 \sqrt{f_{ck}}$

where f_{ck} is characteristic compressive strength of concrete.

According to IS 456-2000

Non-Destructive Test

By using these NDT tests, we are estimating the surface hardness, tensile strength and quality of concrete approximately.

While using these NDT Test we are following some experimental readings (or) charts to find the required results.

They are three major tests per Non destructive Analysis.

1. Rebound Hammer Test
2. Pull out Test
3. Ultrasonic pulse velocity Test (UPV Test)

Note:-

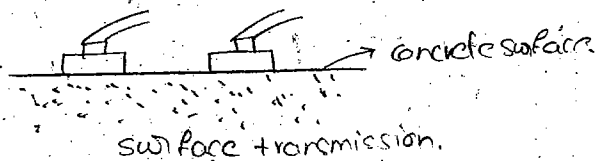
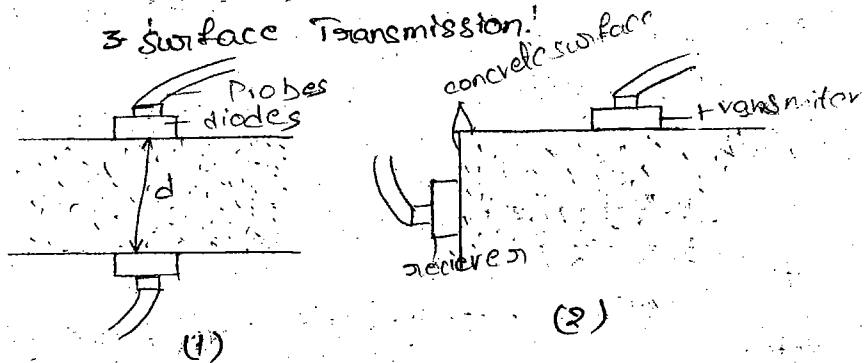
The limitations for determining the quality of concrete by using UPV IS 13311 - Part - I

S.NO	Pulse velocity in km/s	concrete quality
1.	> 4.5	Excellent
2.	3.5 - 4.5	Good
3.	3.0 - 3.5	Medium
4.	< 3.0	Doubtful

Methods of Transmission of pulse wave in concrete member

There are 3 Methods of Transmission.

1. Direct Transmission.
2. Indirect Transmission.
3. Surface Transmission.



These are the three ways of measuring pulse velocity through concrete.

$$\text{pulse velocity } v = \frac{d}{t}$$

d → path length of pulse wave

t → Time taken by the pulse wave b/w two diodes

Factors effecting the measurement of pulse velocity through concrete is effected by following parameters.

- Smoothness of the contact surface under the test
- Influence of path length
- Temperature of concrete. 130 to 60 ^{5%} reduction in pulse velocity
< 5°C → 1% increase in pulse velocity
- Moisture condition of concrete
- presence of Reinforcement: steel.

The national committee for cement and building material proposed the quality of concrete w.r to the pulse velocity:

S.NO	NICBM pulse velocity km/sec.	Quality of concrete.
1.	> 3.5	Excellent
2.	3.5 - 3.0	Good
3.	3.0 - 2.5	Medium
4.	< 2.5	Poor